

# Latest Results on Neutrino Oscillation from NOMAD

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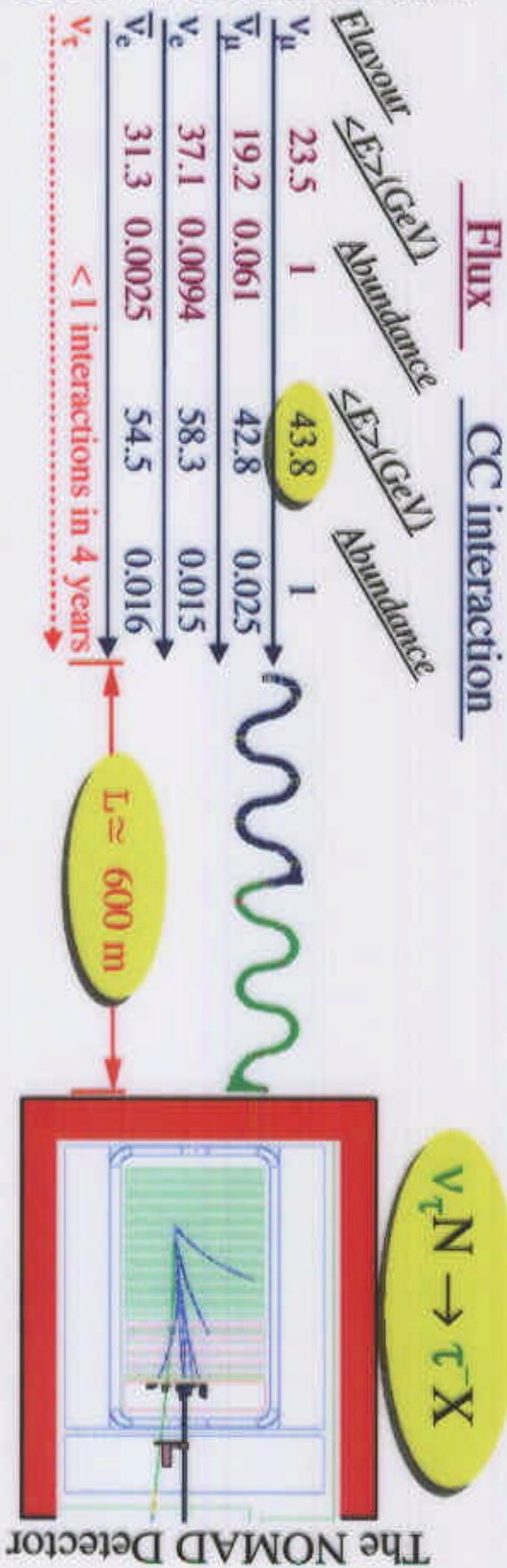
University of Pisa and I.N.F.N.

for





### The CERN Wide Band Beam



$$P(\nu_{\mu} \rightarrow \nu_{\tau}) = \sin^2(2\theta) \sin^2(1.27 \Delta m^2 L/E)$$

Range of  $\Delta m^2$  sensitivity defined by :

$$\Rightarrow 1 \text{ eV}^2 \leq \Delta m^2$$

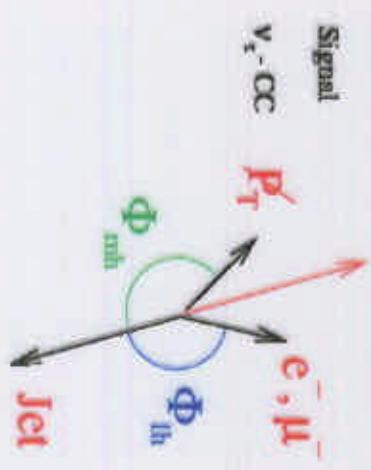
$$\langle L \rangle / \langle E \rangle \approx 2 \times 10^{-2} \text{ Km/Gev}$$

## Which $\tau$ Decay Products

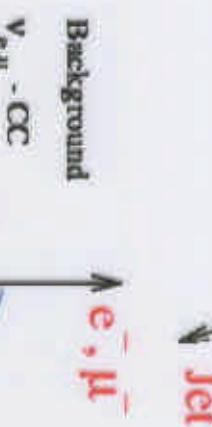
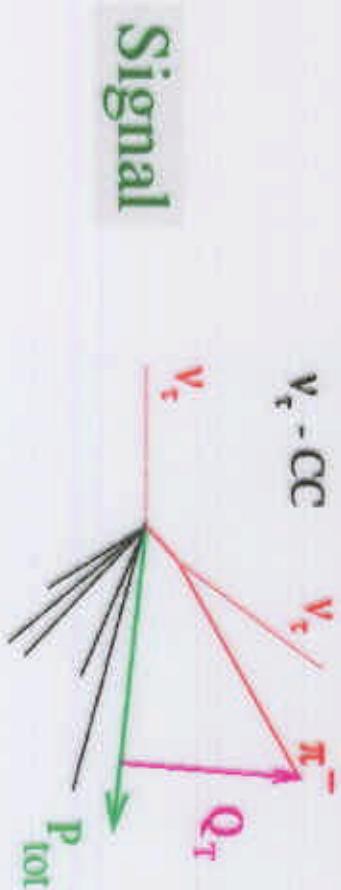
$$\tau^- \rightarrow \begin{cases} e^-\bar{V}_e V_\tau & 17.8\% \\ h^-(n\pi^0)V_\tau & 49.5\% \\ \pi^-\pi^-\pi^+(n\pi^0)V_\tau & \underline{15.2\%} \\ & 82.5\% \end{cases}$$

## The Basics of Kinematical Criteria

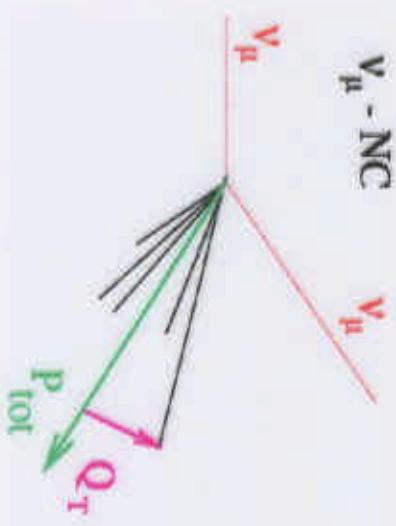
To kill CC use imbalance



To kill NC use isolation



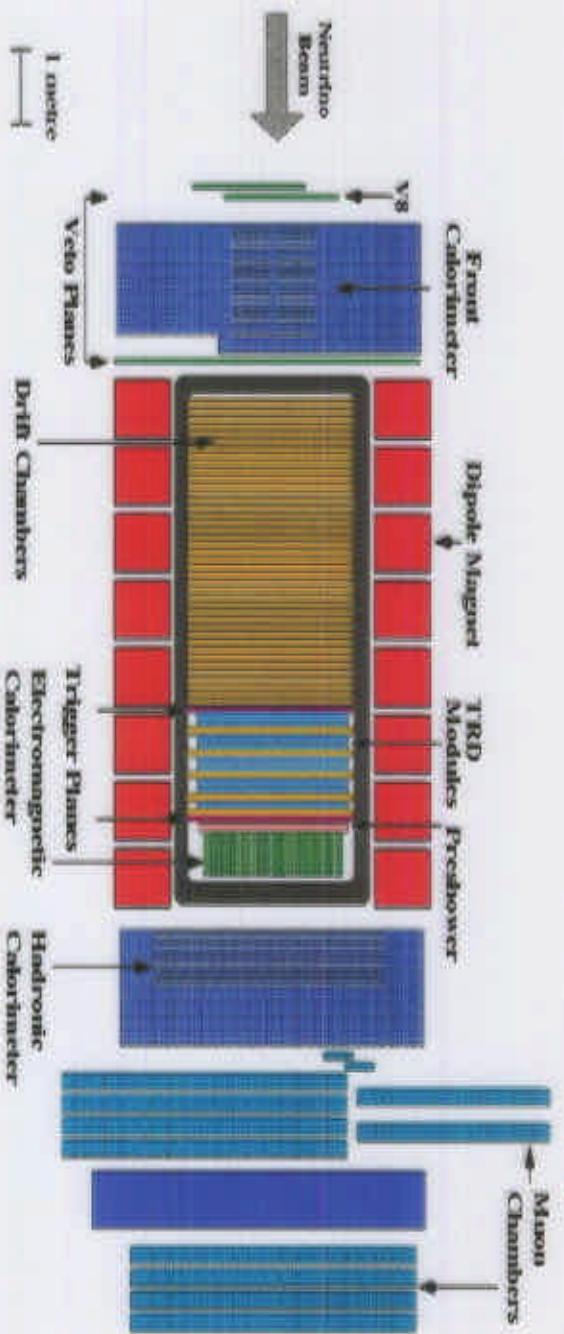
Background



Background

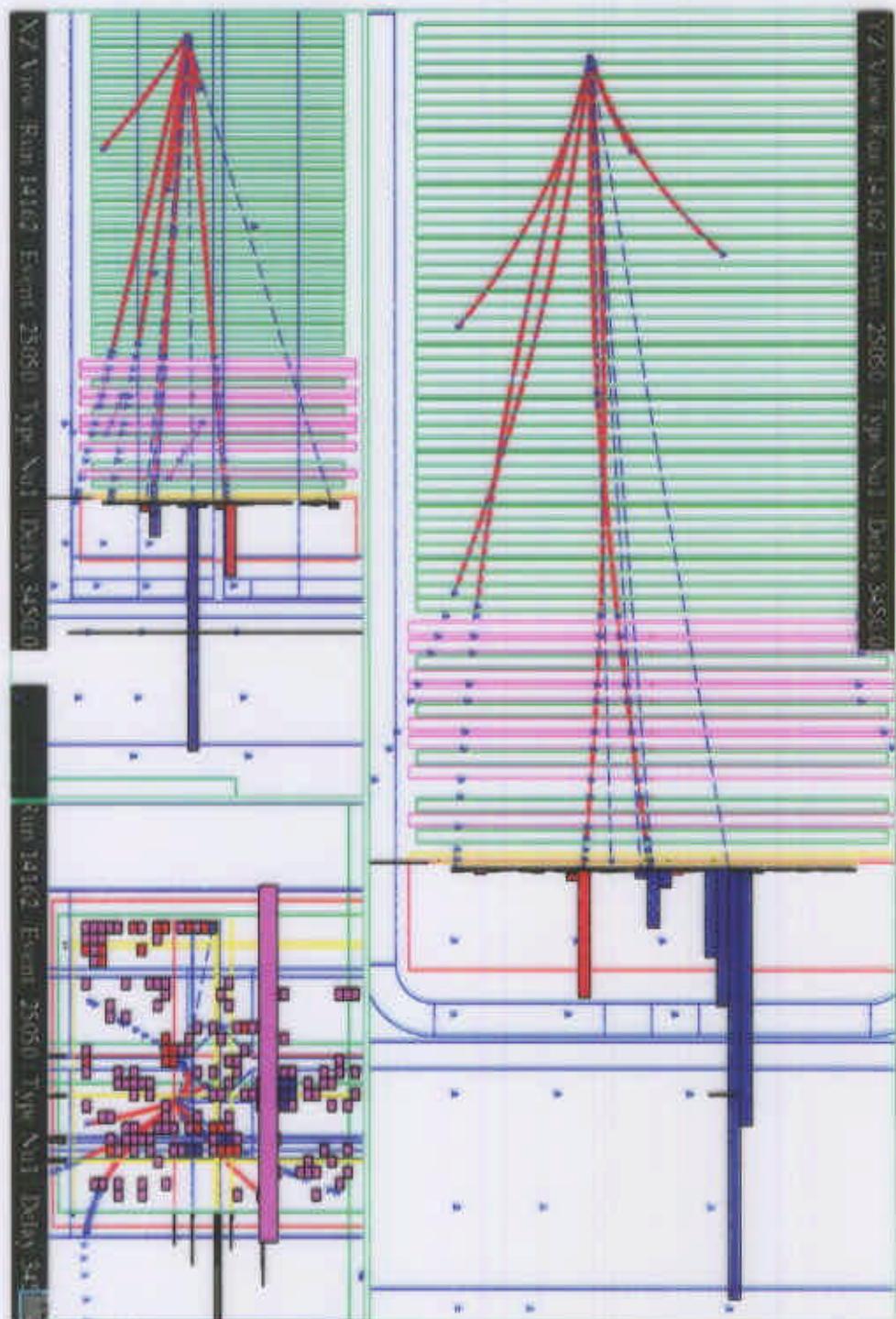
## NOMAD Detector

**1.35 M  $\nu_\mu$  CC interactions**



- Target mass : **2.7 tons**
- Momentum measurement : **Drift Chambers**  $\sigma(p) \sim 3.5\% \quad p < 10 \text{ GeV}$
- Energy measurement : **Ecal** ( $\sigma(E)/E = 3.2\%/\sqrt{E(\text{GeV})} \oplus 1\%$ ) **Hcal**
- $\mu^\pm$  id :  **$\mu$  chambers** ( $\epsilon \sim 97\% @ p > 5 \text{ GeV}$ ) + calorimetric measurements
- $e^\pm$  id : **TRD** ( $e/\pi = O(10^{-3}) @ \text{ele. Eff.} \geq 97\%$ ) + momentum/energy consistency

DATA EVENT -  $\tau \rightarrow h + \gamma$



## *Analysis Strategy*

**SIGNAL<sub>Nomad</sub>** ≡ **statistical excess** on predicted background

*Use Blind Analysis to obtain an*

### Unbiased background prediction

**Blind Analysis** : the kinematic region most sensitive to the signal in each decay channel is not analysed until all analysis has been defined and background prediction is validated on data control samples.



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## Control Samples

**Validation of Background prediction** is done by checking :

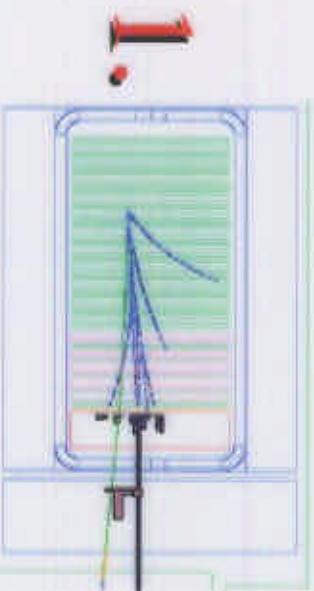
- $\tau^+$  analysis given the beam composition no signal is expected
- $\tau^-$  analysis outside the "box"



If background prediction are proved to be correct the **most sensitive analysis** in the channel is chosen and the data inside the **BOX** are analysed.

BOX

## Likelihood Method



$$\text{Global Kinematic Internal } \tau \text{ decay structure} \\ \text{(for hadronic channels)} \\ = \overbrace{(X_1, \dots, X_n)} + \overbrace{(Y_1, \dots, Y_n)}$$

As a function of  $(X_i, Y_j)$  define **Probability**

**2. Density Functions** and build **probability to be**  $\rightarrow \ln(\lambda) = \ln \frac{\mathcal{L}_{\text{sig}}}{\mathcal{L}_{\text{bkg}}}$

Best treatment would be  $\rightarrow$  fit tail  $\ln(\lambda)$  but too few events expected.

**3.** Tail of  $\ln(\lambda) \rightarrow$  binned and each bin is treated as an **independent measurement**.

Results from various bins (and various decay channels) are combined using the

**4. Unified Approach** (Ref.: Feldman & Cousins Phys. Rev. D57 (1998) 3873).

## *Background Prediction Evaluation*

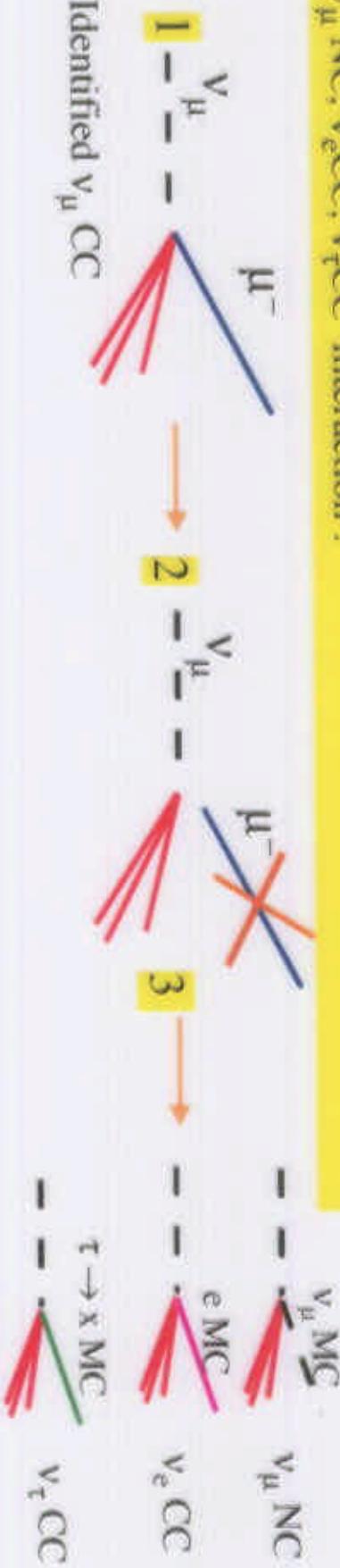
Large kinematical suppression and use of correlation between kinematical variable require the knowledge of background down to a level of  $O(10^{-5})$

it is NOT possible to rely entirely on MC  
**background predictions** are obtained using :

└→ MC + Data Simulator

## Data Simulator

Use identified  $\nu_\mu$  CC in Data and MC to create MCS and DS for  $\nu_\mu$  NC,  $\nu_e$  CC,  $\nu_\tau$  CC interaction :



Analysis is carried out on 3 samples :  
MC, DS, MCS

$$\Rightarrow \frac{\epsilon \stackrel{\text{def}}{=} \epsilon(\text{MC}) \times \epsilon(\text{DS})}{\epsilon(\text{MCS})}$$

- ✓ Method allows to correct for jet structure, instrumental effect, tail due to fermi motion, nuclear reinteractions.
- ✓ Not applicable to  $\nu_\mu$  CC ⇒  $\tau^- \rightarrow \mu^- \nu_\mu \nu_\tau$  is not usable

## *The two most powerful decay channels*

$$\tau^- \rightarrow e^- \bar{\nu}_e \nu_\tau$$

$$\tau^- \rightarrow h^- (+n \pi^o) \bar{\nu}_\tau$$

## $\tau^- \rightarrow e^- \bar{\nu}_e \nu_\tau$ Analysis

$\nu_e$  Charged Currents  
 $O(10^{+4})$

Background

Neutral Currents  
 $O(10^{+5})$

Candidate = Real primary electron

Candidate =  $e^- \left\{ \begin{array}{l} \gamma \text{ conversions} \\ \pi^0 \text{ decays} \end{array} \right.$

Tight electron identification criteria



Likelihood function against CC

$$\mathcal{L}^{cc} \stackrel{\text{def}}{=} [\rho_h, \rho_l, Q_{lept}, p_T^m, M_T, E_{vis}]$$

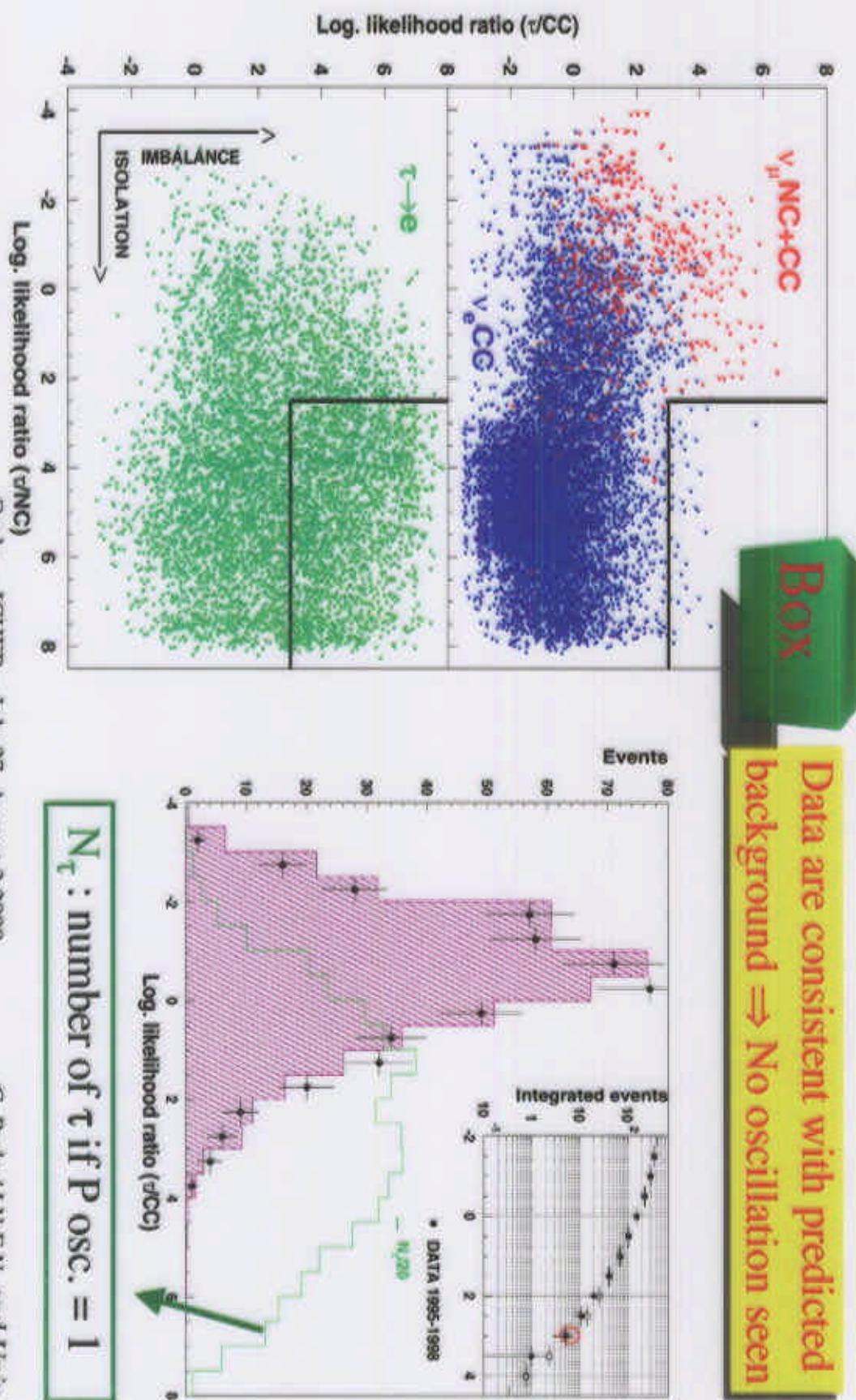
$$\mathcal{L}^{nc} \stackrel{\text{def}}{=} [[[\theta_{vT}, \Theta_{vH}], \theta_{min}, Q_T], M_T, E_e]$$

Most of the rejection power comes from **imbalance** (transverse plane kinematics)

Most of the rejection power comes from **isolation** (longitudinal plane kinematics)

## $\tau \rightarrow e^- \bar{\nu}_e \nu_\tau$ Final results

Data are consistent with predicted background  $\Rightarrow$  No oscillation seen



## $\tau \rightarrow h^- (+n \pi^o) \nu_\tau$ Analysis

A new analysis for 1 prong

### Candidate Choice

Must choose the **correct** combination among many  
**random** combinations  $\Rightarrow$  **maximise** :

$$\lambda_{\text{can}} = \frac{\mathcal{L}_{\text{can}}}{\mathcal{L}_{\text{can random}}}^\tau$$

### Which $\mathcal{L}_{\text{can}}$ ?

$\tau \rightarrow$  single  $\pi$

$\tau \rightarrow \pi + 1$  e.m cluster

$\tau \rightarrow \pi + 2$  e.m. cluster

$$\left. \begin{array}{l} 0\gamma \\ 1\gamma \\ 2\gamma \end{array} \right\} \rho \rightarrow \pi^- \pi^o$$

Same global event kinematic  
 Different internal decay structure

- 0γ  $\mathcal{L}_{\text{can}} \stackrel{\text{def}}{=} [I_G, Y_{Bj}, \Theta_{\text{th}}]$
- 1γ  $\mathcal{L}_{\text{can}} \stackrel{\text{def}}{=} [M_p, \theta_{\pi-\pi o}, E_{\pi o}, /E_{\text{vis}}, I_G, Y_{Bj}, \Theta_{\text{th}}]$
- 2γ  $\mathcal{L}_{\text{can}} \stackrel{\text{def}}{=} [[M_{\rho o}, \theta_{\pi^o}, E_{\pi^o}, /E_{\text{vis}}], M_p, \theta_{\pi-\pi o}, E_{\pi o}, /E_{\text{vis}}, I_G, Y_{Bj}, \Theta_{\text{th}}]]$

## $\tau \rightarrow h^- (+n \pi^0) \nu_\tau$ Analysis

$\nu_\mu, \nu_e$  Charged Currents  
 $O(10^{+6})$

Background

Neutral Currents  
 $O(10^{+5})$

Primary lepton unidentified

Kinematical criteria are used to tag  
the most likely lepton + particle id

+

Likelihood function against CC

$$\mathcal{L}^{cc} \stackrel{\text{def}}{=} [\prod_g p_T^{lept}/p_T^{m}, \theta_{\nu l}], p_T^m, M_T, E_{vis}]$$

Most of the rejection power  
comes from **imbalance** (transverse  
plane kinematics)

Candidate inside the jet

Check jet structure after candidate  
selection

+

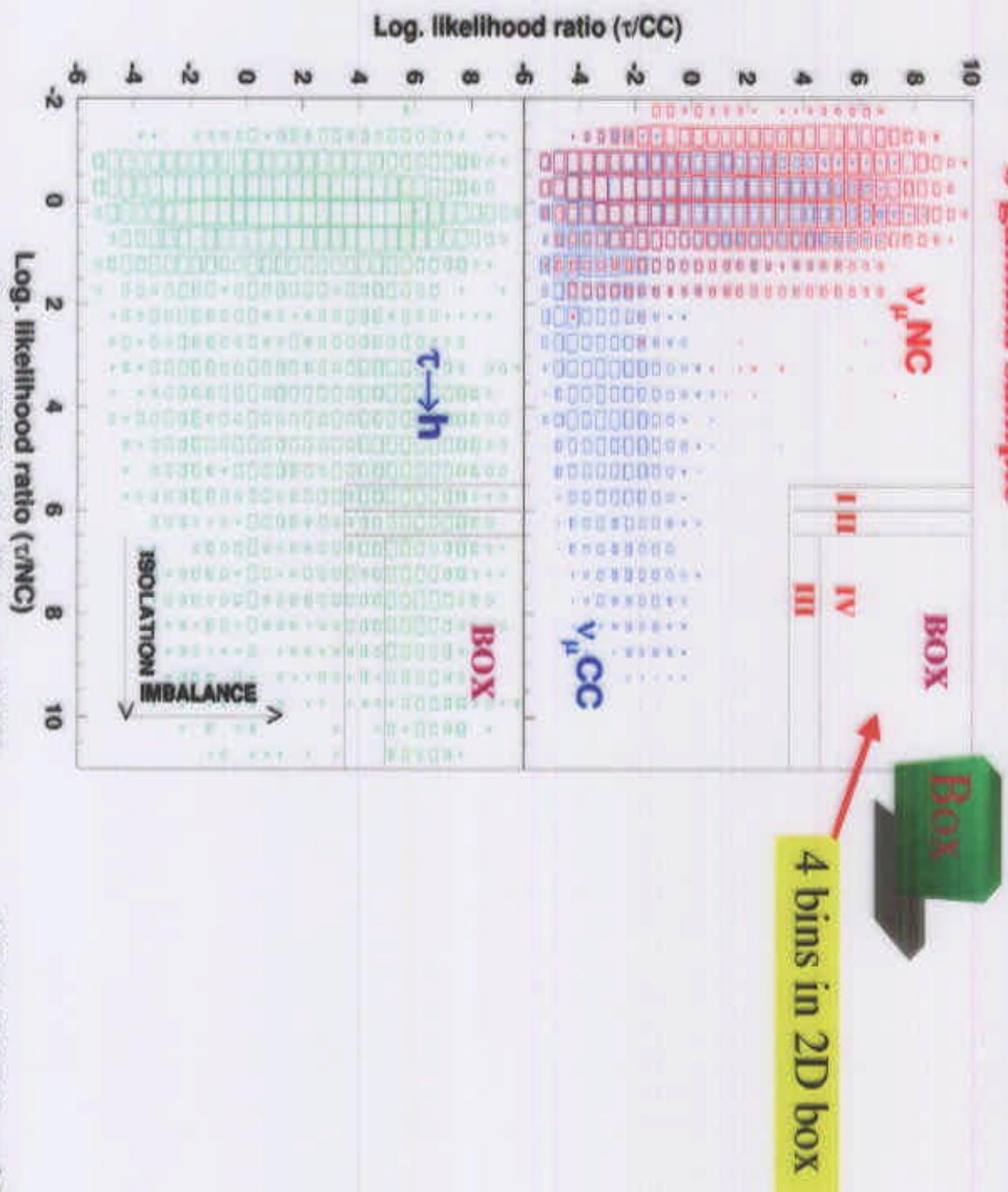
Likelihood function against NC

$$\mathcal{L}^{nc} \stackrel{\text{def}}{=} [[[\theta_{v\tau}, \Theta_{vH}], \theta_{min}, Q_T], p_T^m, p_T^H]$$

Most of the rejection power  
comes from **isolation** (longitudinal  
plane kinematics)

# $\tau \rightarrow h^- (+n \pi^0) \nu_\tau$ Results

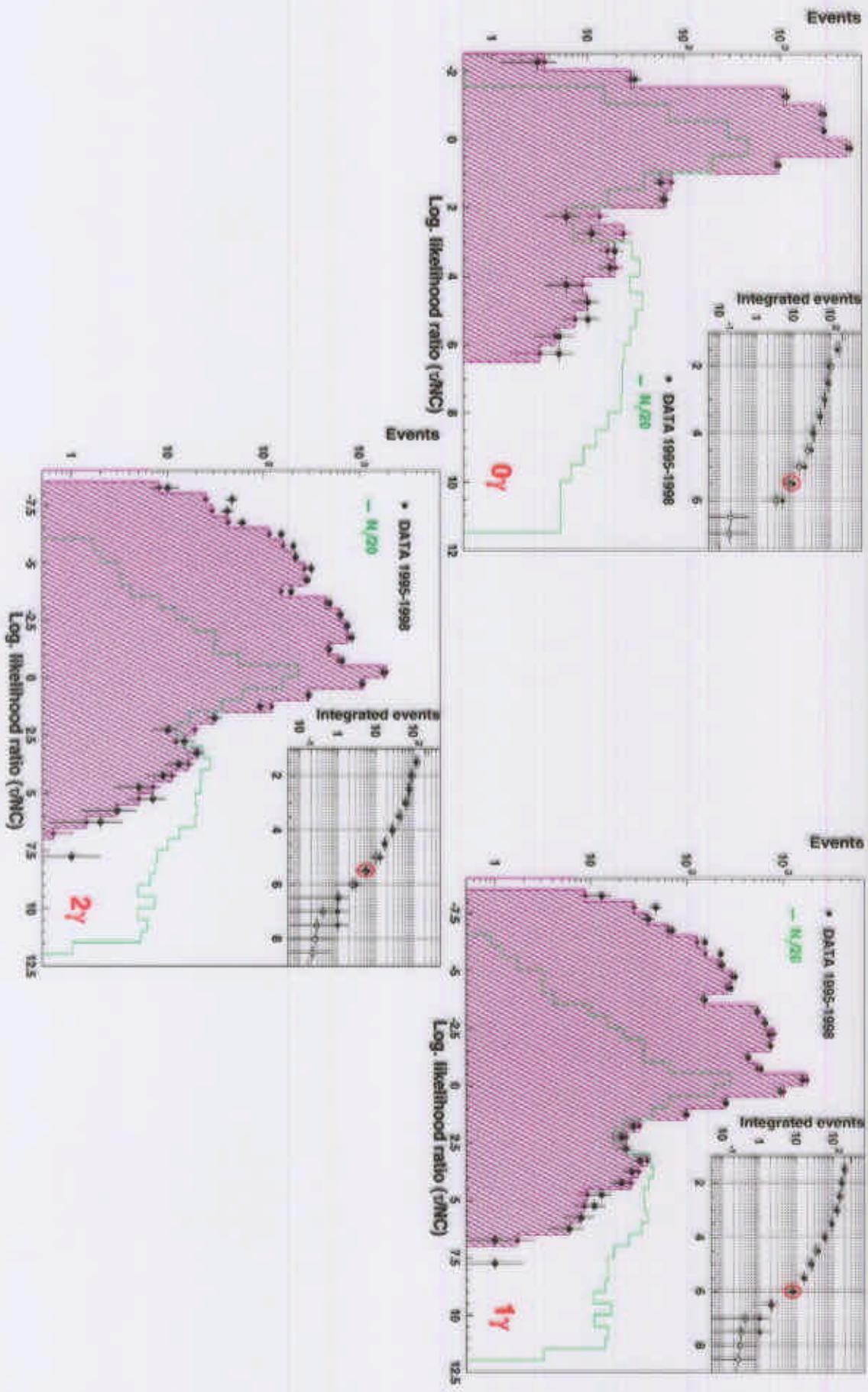
0 gamma sample



Osaka – ICHEP – July 27, August 2 2000

C. Roda / I.N.F.N and Univ. of Pisa

Data is consistent with predicted background  $\Rightarrow$  No oscillation seen



## NOMAD Final Results

Data in all bins are consistent with expected background.

Limit on  $P(\nu_\mu \rightarrow \nu_\tau) = 2.0 \times 10^{-4}$

Sensitivity on  $P(\nu_\mu \rightarrow \nu_\tau) = 2.6 \times 10^{-4}$

$P(\text{to have this limit or smaller}) = 46\%$

Proposal Sensitivity =  $1.9 \times 10^{-4}$

Limit on $P(\nu_\mu \rightarrow \nu_\tau)$	$2.0 \times 10^{-4}$
Sensitivity on $P(\nu_\mu \rightarrow \nu_\tau)$	$2.6 \times 10^{-4}$
$P(\text{to have this limit or smaller})$	= 46%

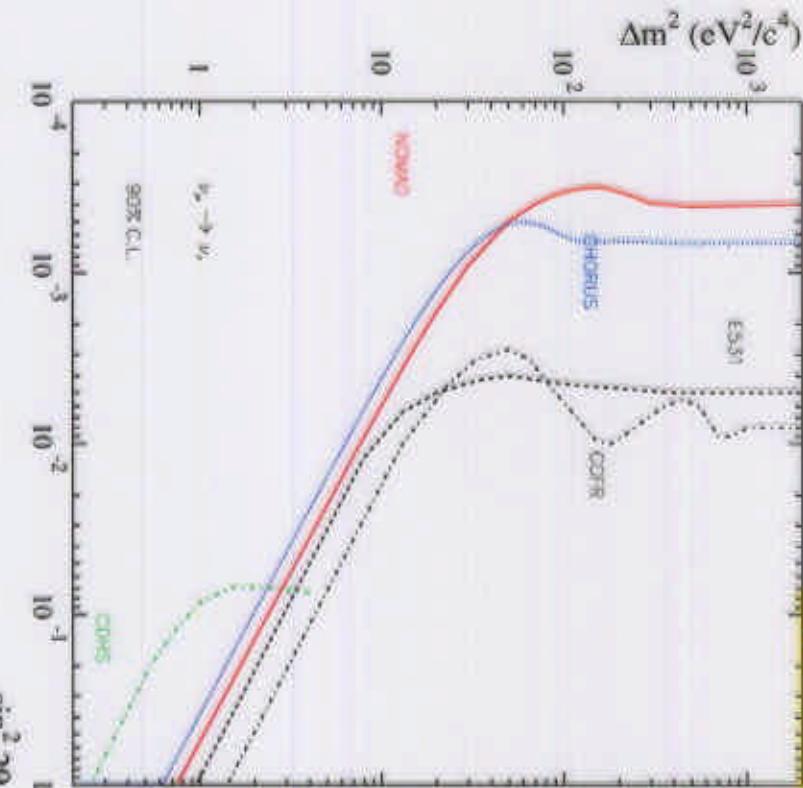
75% of the sensitivity comes from SMALL background bins

Analysis	Bin	Tot. bkg.	$N_\tau$	Data
$\nu_e \bar{\nu}_e$	DIS	II	$0.28^{+0.31}_{-0.28}$	903
$\nu_e \bar{\nu}_e$	DIS	VI	$0.25 \pm 0.09$	1694
$\nu_e h(0\gamma)$	DIS	II	$0.05^{+0.05}_{-0.05}$	274
$\nu_e h(0\gamma)$	DIS	IV	$0.12^{+0.06}_{-0.06}$	1246
$\nu_e h(1\gamma)$	DIS	II	$0.07^{+0.03}_{-0.04}$	211
$\nu_e h(1\gamma)$	DIS	IV	$0.07^{+0.02}_{-0.02}$	1037
$\nu_e h(2\gamma)$	DIS	IV	$0.11^{+0.05}_{-0.05}$	197
$\nu_e h(1 - 2\gamma)$	DIS	II	$0.20^{+0.10}_{-0.08}$	680
$\nu_e h(0 - 1\gamma)$	DIS	IV	$0.14^{+0.05}_{-0.05}$	1360
<b>1.29<math>\pm</math>1.60</b>		<b>7570</b>		1

## NOMAD Exclusion Plots

$\nu_\mu \rightarrow \nu_\tau$

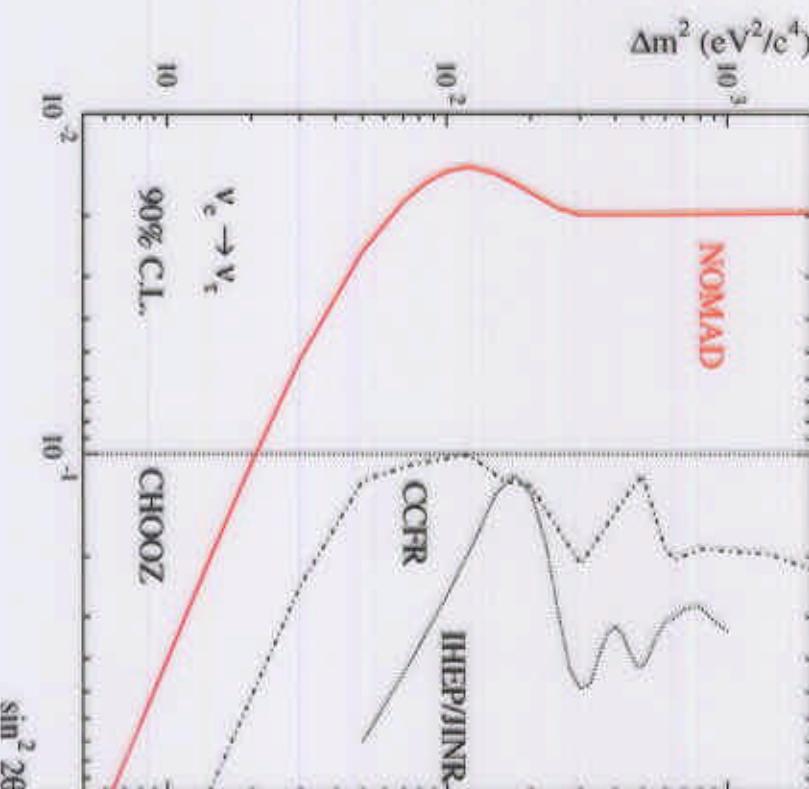
$\nu_e \rightarrow \nu_\tau$



Limit on  $P(\nu_\mu \rightarrow \nu_\tau) = 2.03 \times 10^{-4}$

Sensitivity on  $P(\nu_\mu \rightarrow \nu_\tau) = 2.6 \times 10^{-4}$

$P$  (to have this limit or smaller) = 46%



Limit on  $P(\nu_e \rightarrow \nu_\tau) = 1.0 \times 10^{-2}$

Sensitivity on  $P(\nu_e \rightarrow \nu_\tau) = 1.3 \times 10^{-2}$

$P$  (to have this limit or smaller) = 48%