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Session PA-02: Soft Interaction Processes

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## $F_2^P$ at low $Q^2$ and total $\gamma p$ cross section

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representing



# Outline

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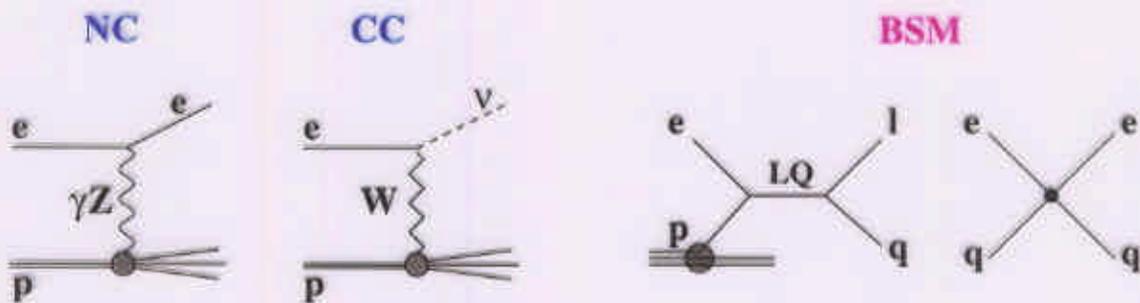
- Introduction: **Three questions**
- Photoproduction limit:  $\sigma_{\text{tot}}^{\gamma P}$
- (a) • DIS in pQCD domain:  $F_2$ ,  $F_L$  and  $xg(x)$
- (b) • Transition region: **closing the gap ?**
- Summary: **Three answers**

*Ref. Abstracts: 944, 1046, 1047*

(a) See also the talk of F.Zomer in PA-03

(b) See also the talk of A.Pellegrino in PA-02

# HERA collider



$$\sqrt{s} = 300(319) \text{ GeV}$$

$$\mathcal{L}(\text{HERA-I}) = \mathcal{O}(100) \text{ pb}^{-1}$$

(in this talk – 96/97 data only –  $\mathcal{L} \simeq 30 \text{ pb}^{-1}$ )

★ Resolving structure of the matter at  $10^{-16} \div 10^{-18} \text{ m}$

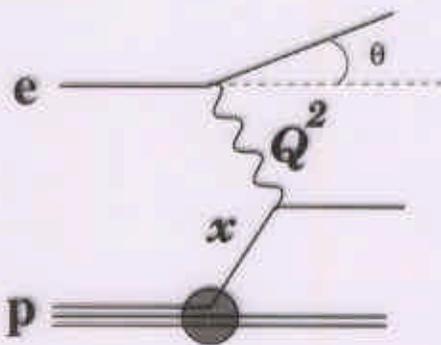
# Motivation

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## What do we know about Strong Interaction?

- **RFT** works fine for **soft peripheral processes at high energies** ( $s \rightarrow \infty$ ,  $t/s \ll 1$ ), but there is no microscopic picture of underlying dynamics in it
- **QCD** is right theory of strong interactions, but has technical problems in non-perturbative regime. **pQCD** describes **hard scattering** only

## What is so special in DIS at HERA?



$\sqrt{s} = 300(319) \text{ GeV} \rightarrow \text{large}$

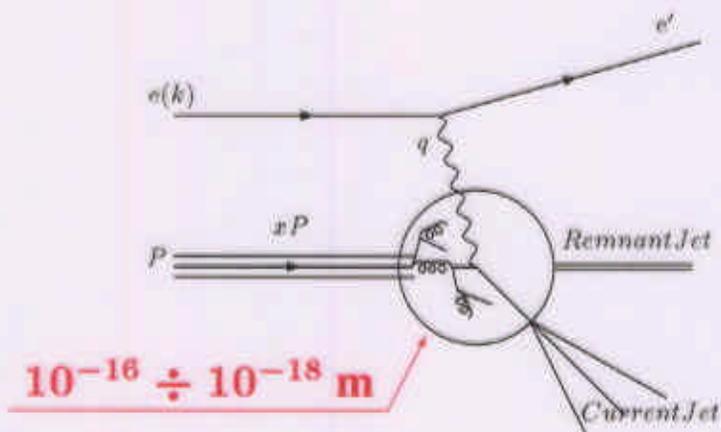
$Q^2$  – “key player” in the game  $\rightarrow$   
can scan over complete range  
from 0 to  $10^5 \text{ GeV}^2$

**Q1:** How far up in  $Q^2$  can we get with **Regge theory** starting from photoproduction ?

**Q2:** How far down in  $Q^2$  can we go with **pQCD** ?

**Q3:** Where the **transition** region is? How to merge RFT and pQCD?

## NC: Basic Definitions



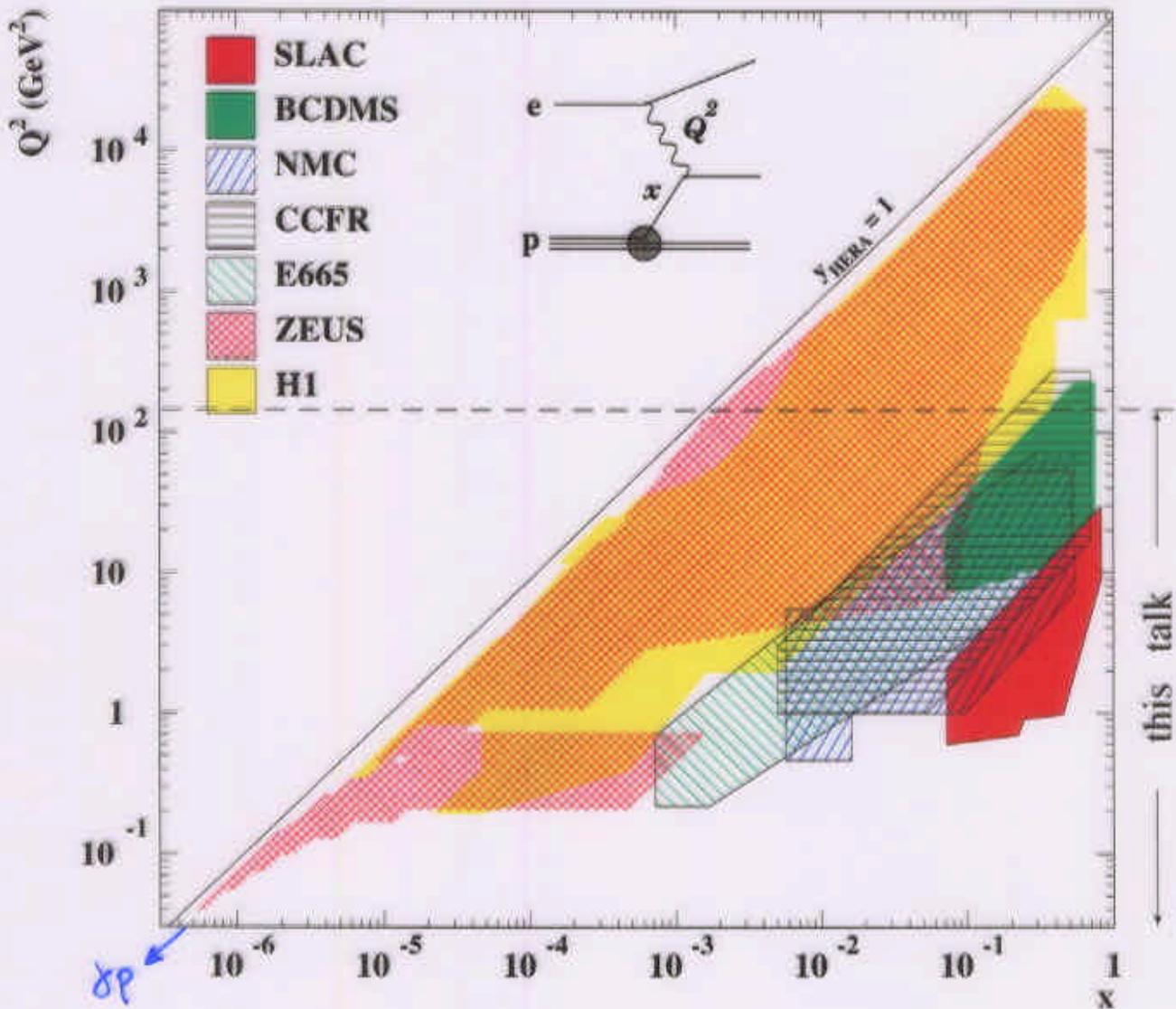
- $Q^2 = -q^2$  – 4-momentum transfer squared
- $x = \frac{-q^2}{2P \cdot q}$  – parton momentum fraction
- $y = \frac{P \cdot q}{P \cdot k}$  – inelasticity
- $W^2 = (q + P)^2$  – total hadronic energy squared
- $Q^2 = sxy$        $W^2 = \frac{Q^2(1-x)}{x} + m_p^2 \rightarrow \frac{Q^2}{x}$  (at  $x \rightarrow 0$ )

$$\left. \frac{d^2\sigma^{NC}(ep)}{dx dQ^2} \right|_{\substack{\text{Born} \\ Q^2 \ll M_Z^2}} = \frac{4\pi\alpha^2}{xQ^4} [y^2 x F_1 + (1-y) F_2] = \Gamma_T \sigma_T^{\gamma^* p} + \Gamma_L \sigma_L^{\gamma^* p}$$

- $F_2 = \sum_f A_f [xq_f(x, Q^2) + x\bar{q}_f(x, Q^2)]$  (LO QCD)
- $F_L = F_2 - 2xF_1$  – longitudinal structure function (0 in QPM)

$$\sigma_{tot}^{\gamma^* p}(W, Q^2) = \sigma_T^{\gamma^* p} + \sigma_L^{\gamma^* p} \approx \frac{4\pi^2\alpha}{Q^2} F_2(x, Q^2)$$

# HERA kinematic range

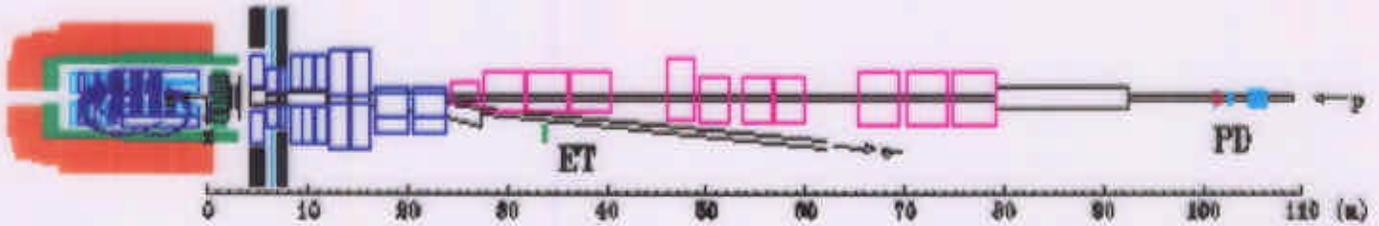


- $x/Q^2 \rightarrow 10^{-5} \Rightarrow$  low  $x$  limit of pQCD
- $y \rightarrow 0.005 \Rightarrow$  overlap with fixed target experiments
- $y \rightarrow 0.82 \Rightarrow$  sensitivity to  $F_L$
- $Q^2 \rightarrow 0.045 \text{ GeV}^2 \Rightarrow$  transition to  $\gamma p$
  
- $Q^2 \rightarrow 50000 \text{ GeV}^2 \Rightarrow$  EW sector, (new physics?)  
Emphasized by the Upgrade-2000

# Photoproduction limit: $\sigma_{tot}^{\gamma p}$

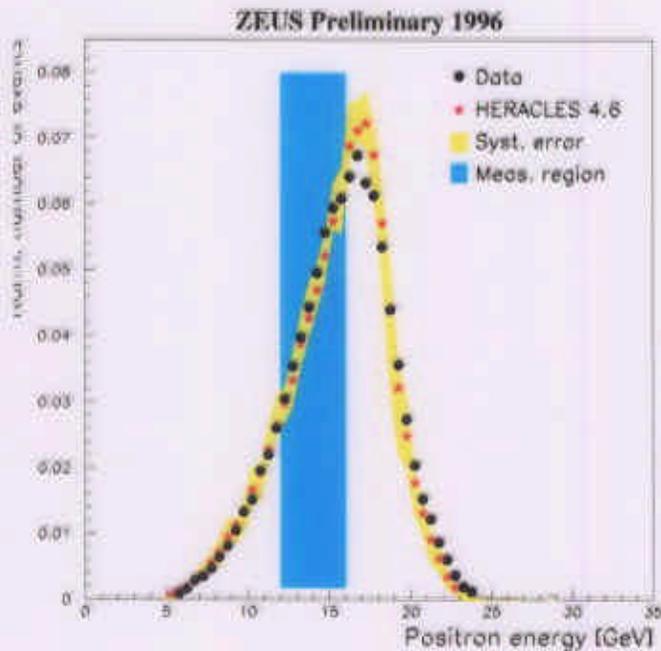
Using  $e$  tagger in the tunnel:  $e^+p \rightarrow e^+X$  (H1-94, new: ZEUS-96)

$$(\theta_e < 5 \text{ mrad} \rightarrow \langle Q^2 \rangle \approx 10^{-4} \text{ GeV}^2)$$

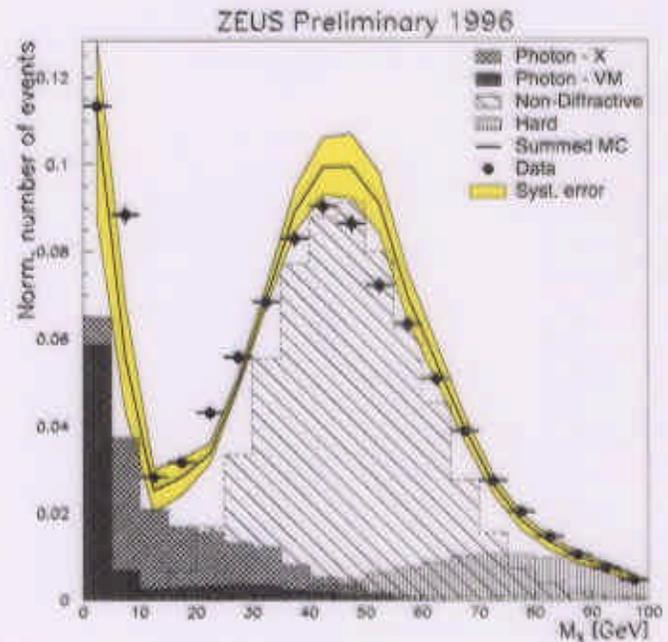


$$\frac{d\sigma_{tot}^{ep}(y)}{dy} = \mathcal{F}_\gamma(y, Q_{min}^2, Q_{max}^2) \sigma_{tot}^{\gamma p}$$

$$\sigma_{tot}^{\gamma p} = \frac{N_{ep}}{\mathcal{L}} \cdot \frac{1}{\mathcal{F}_\gamma} \cdot \frac{\Delta_{corr}}{A_{etag} \cdot A_{main.det}}$$



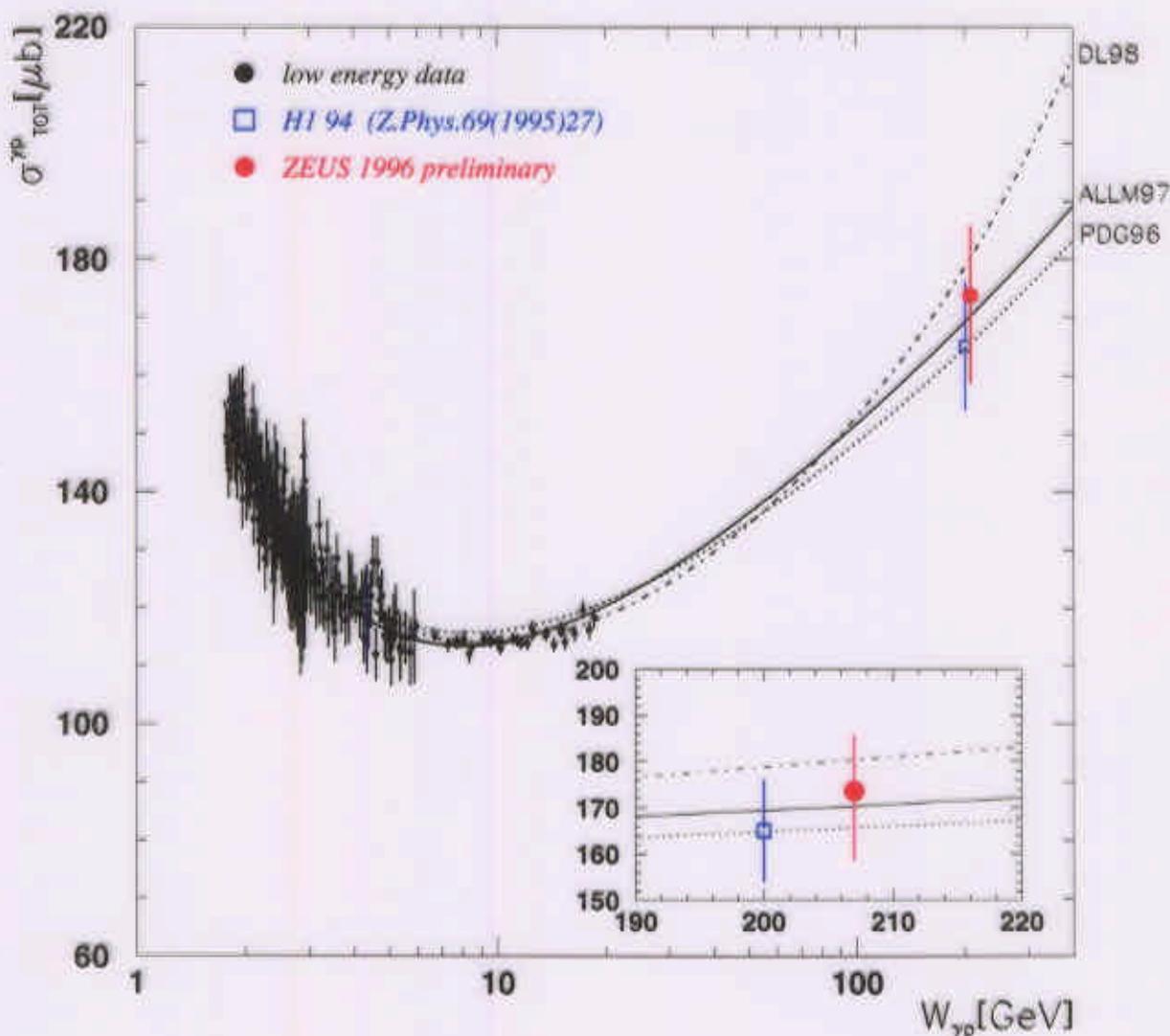
$$\delta A_{etag} = 5 \div 6\%$$



$$\delta A_{main.det} = 4 \div 5\%$$

# $\sigma_{\text{tot}}^{\gamma p}$ at HERA – Results

(Abs. PA02-1046)

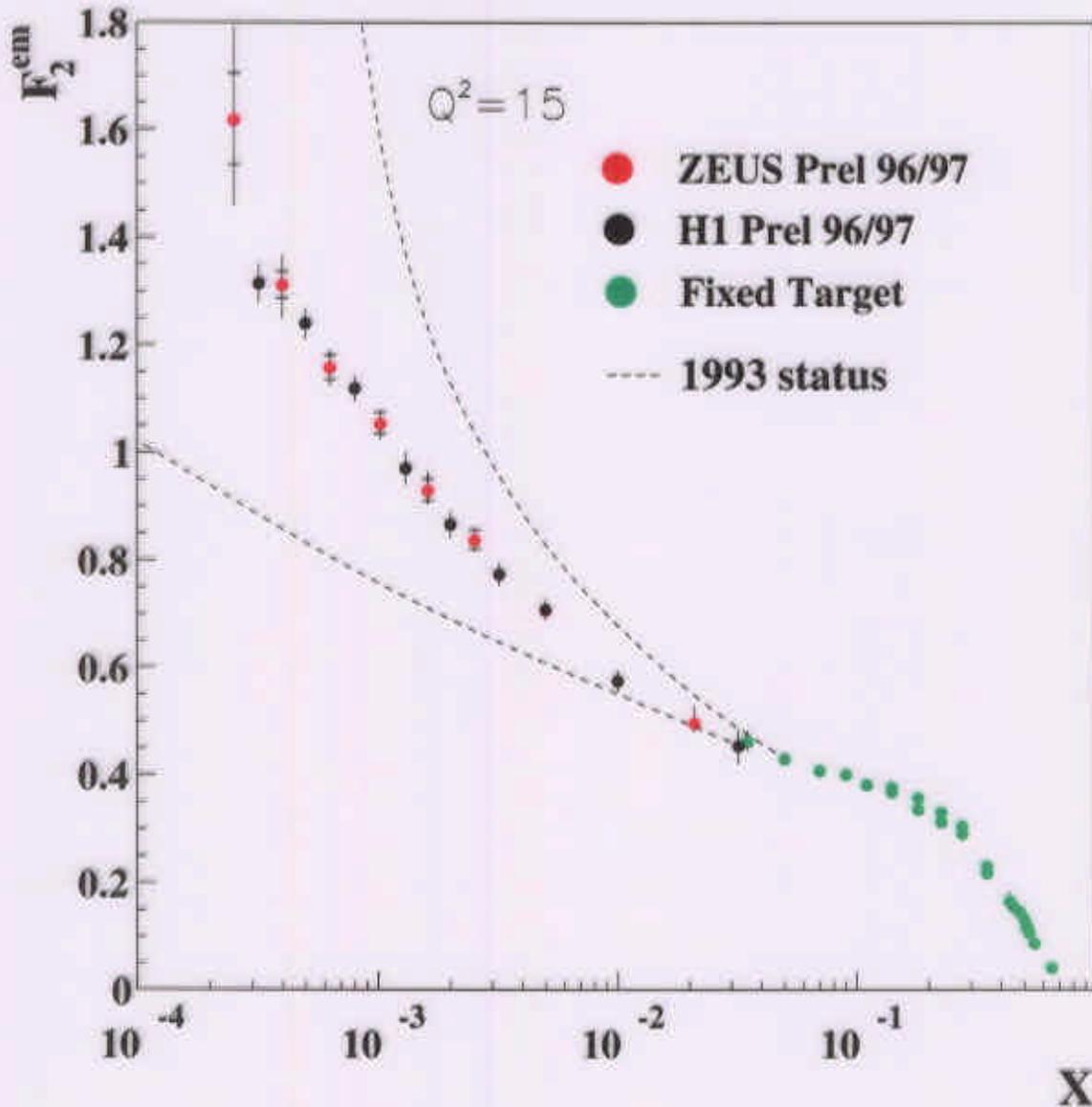


**H1-94:**  $\sigma_{\text{tot}}^{\gamma p}(W_{\gamma p} = 200 \text{ GeV}) = 165 \pm 2 \pm 11 \mu\text{b}$

**ZEUS :**  $\sigma_{\text{tot}}^{\gamma p}(W_{\gamma p} = 207 \text{ GeV}) = 172 \pm 1_{-15}^{+13} \mu\text{b}$

★  $\gamma p \approx hh$ . Universal soft **IP** in full glory

## HERA impact: $F_2^P$ at low $x$

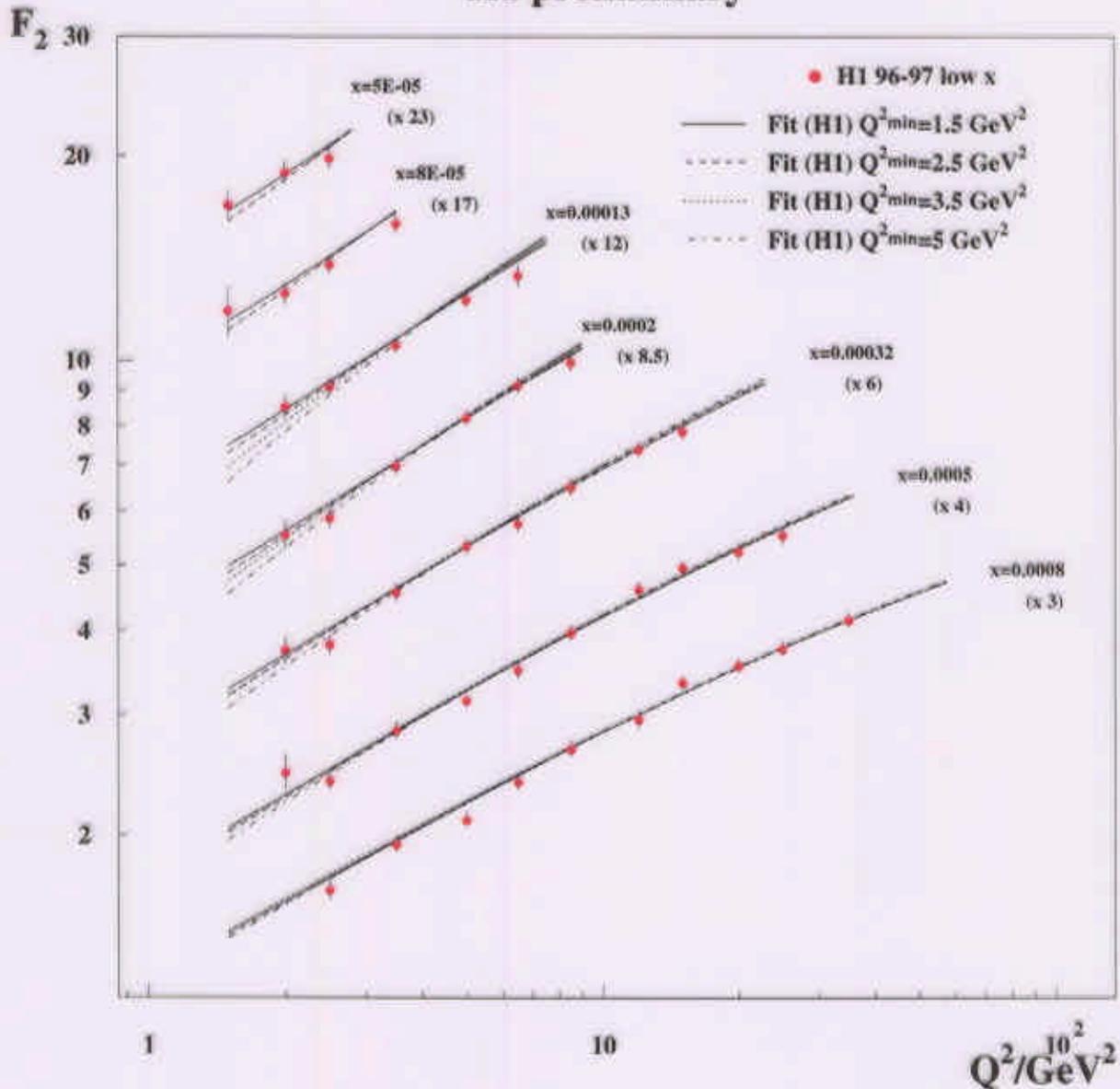


- ★ High precision: 1%(stat)  $\oplus$  2-3%(syst)
- ★ Good agreement between H1 and ZEUS
- ★ Overlap is achieved with fixed target experiments
- ★ Enormous improvement wrt “1993 knowledge”

# $F_2$ scaling violation

H1 preliminary

(Abs. PA02-944)



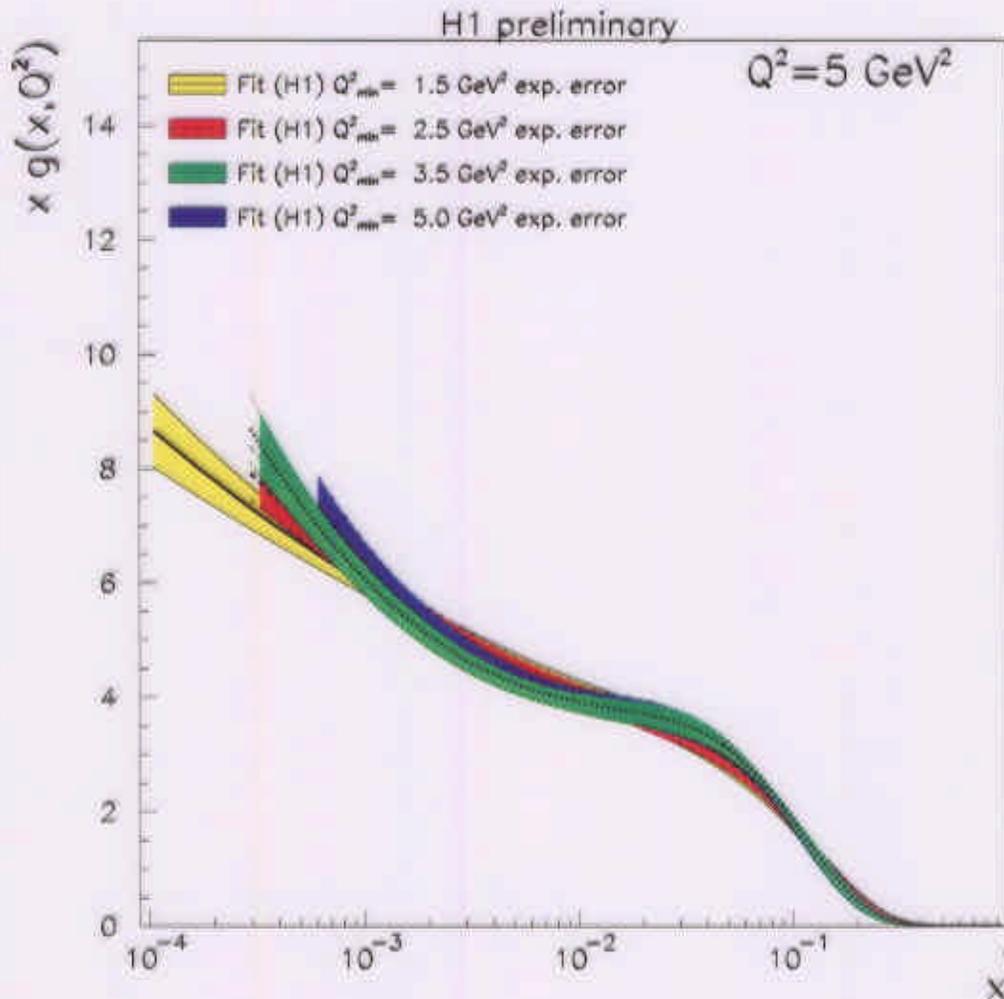
★ New precise measurements ( $1.5 < Q^2 < 150 \text{ GeV}^2$ ) allow to fit H1 data alone in the range  $Q^2 < 3000 \text{ GeV}^2$

★ **pQCD in glory:** NLO DGLAP describes the data all the way down to surprisingly low  $Q^2 = 1.5 \text{ GeV}^2$   
(note however the effect of the  $Q_{\min}^2$  choice...)

# Gluon Density in the Proton

The scaling violation of  $F_2$  at low  $x$  is dominated by the gluon density:

$$dF_2/d \log Q^2 \propto xg(x) \cdot \alpha_s$$



- Statistical errors are small. Systematics dominate (mainly  $Q_{\min}^2$ )
- At  $Q^2 = 7 \text{ GeV}^2$  the gluons carry  $0.449 \pm 0.015$  of the proton momentum (in agreement with previous results)
- ★ DGLAP QCD fit is too “flexible”? → Try more constraints...

# Extraction of $F_L$

$$\sigma_r = (F_2 - \frac{y^2}{Y_+} F_L) \rightarrow F_L \text{ gets important at high } y \quad (x = \frac{Q^2}{ys})$$

↓

$$\frac{Q^4 x}{2\pi d^2 Y_+} \cdot \frac{d^2 \sigma_r}{dx dQ^2}$$

## Methods

1. Subtraction method  
( $Q^2 > 10 \text{ GeV}^2$ )

$$F_L = F_2^{QCD} - \frac{Y_+}{y^2} \sigma_r^{exp}$$

2. Derivative method  
( $Q^2 < 10 \text{ GeV}^2$ )

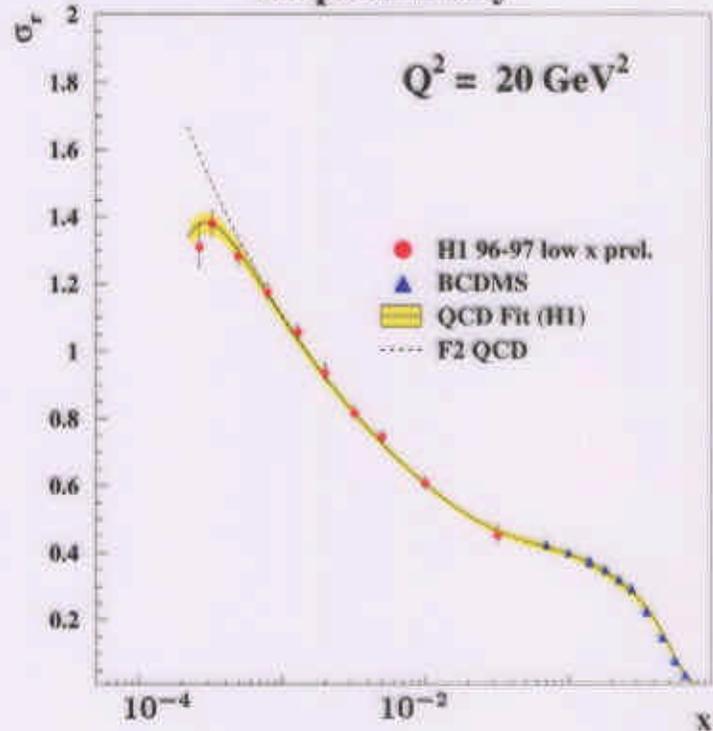
$$\frac{\partial \sigma_r}{\partial \log y} = \frac{\partial F_2}{\partial \log y} -$$

$$F_L 2y^2 \frac{(2-y)}{Y_+^2} - \frac{\partial F_L}{\partial \log y} \cdot \frac{y^2}{Y_+^2}$$

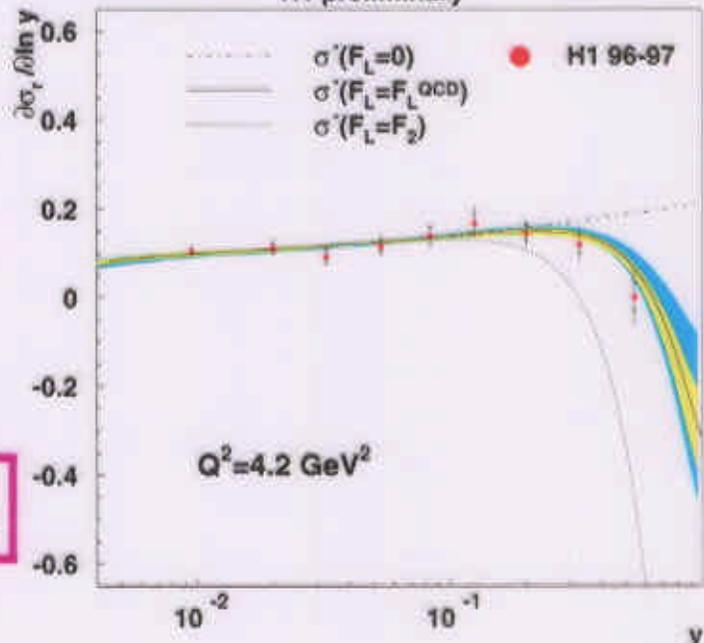
$$F_2 \sim x^{-\lambda} \quad (x \sim 1/y) \Rightarrow$$

$$\frac{\partial F_2}{\partial \log y} \sim \lambda + \lambda^2 \log y + \dots$$

H1 preliminary

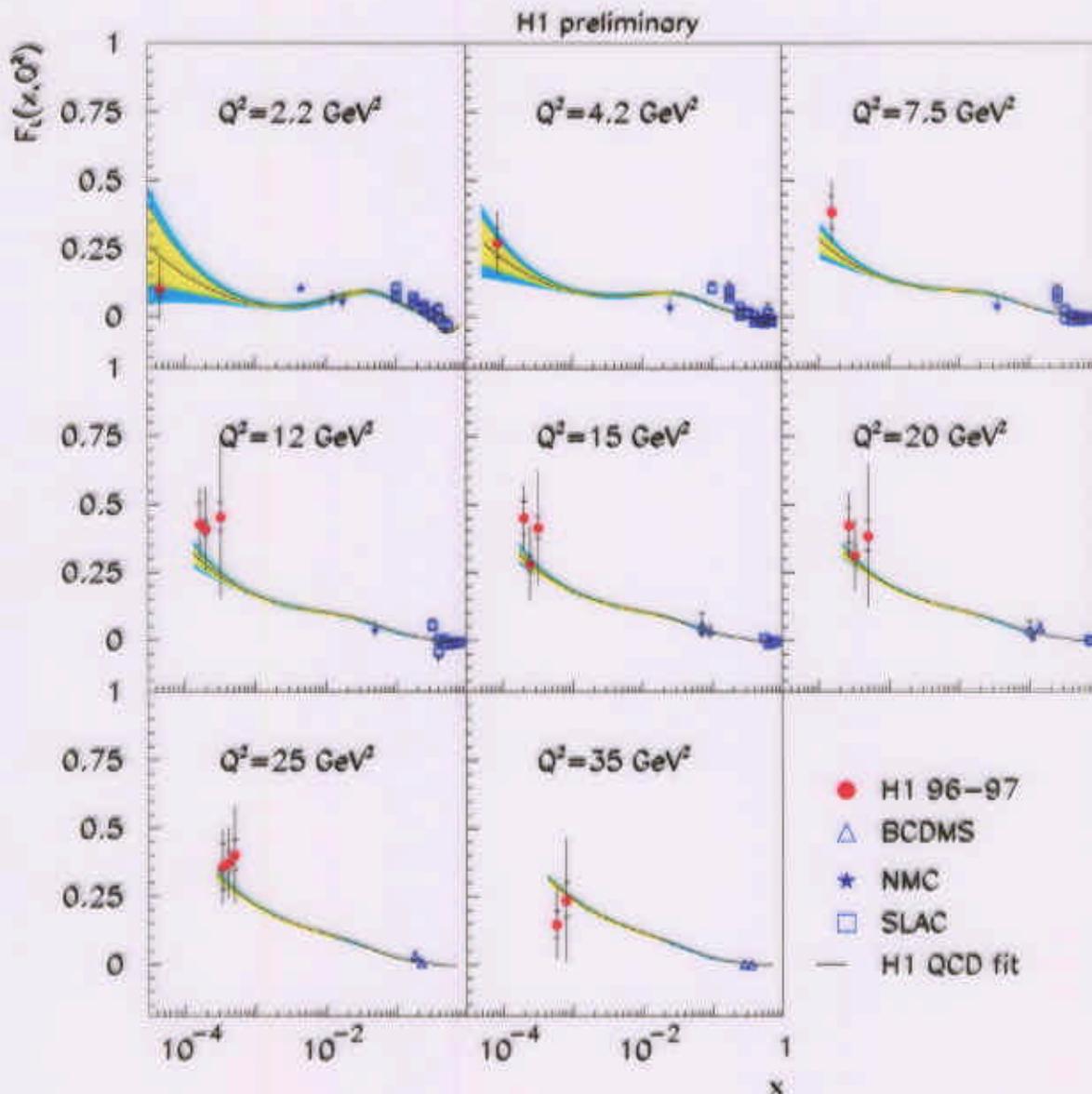


H1 preliminary



# $F_L$ : HERA vs Fixed target

(Abs. PA02-944)

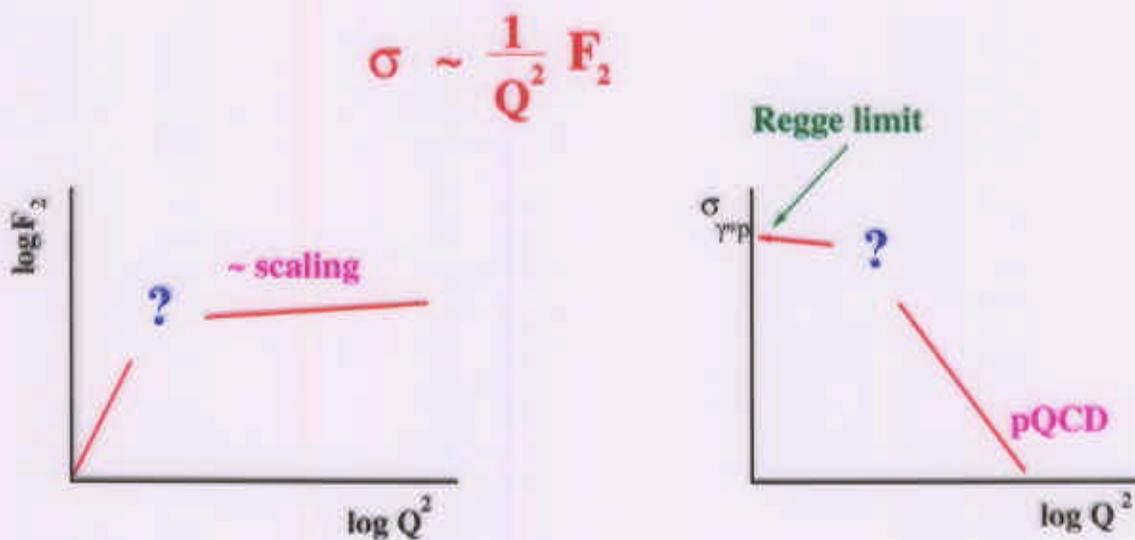


★  $F_L$  is rising at low  $x$  in accord with pQCD

★ For better precision have to use “classical” method  
(varying collision energy)  $\Rightarrow$  After HERA upgrade

## Pushing QCD to low $Q^2$ extreme

- We have verified that **Regge theory** works in photoproduction ( $\sigma_{tot}^{\gamma p}$ )
- We also demonstrated, that in DIS regime **pQCD** describes inclusive NC cross section ( $F_2, F_L$ )



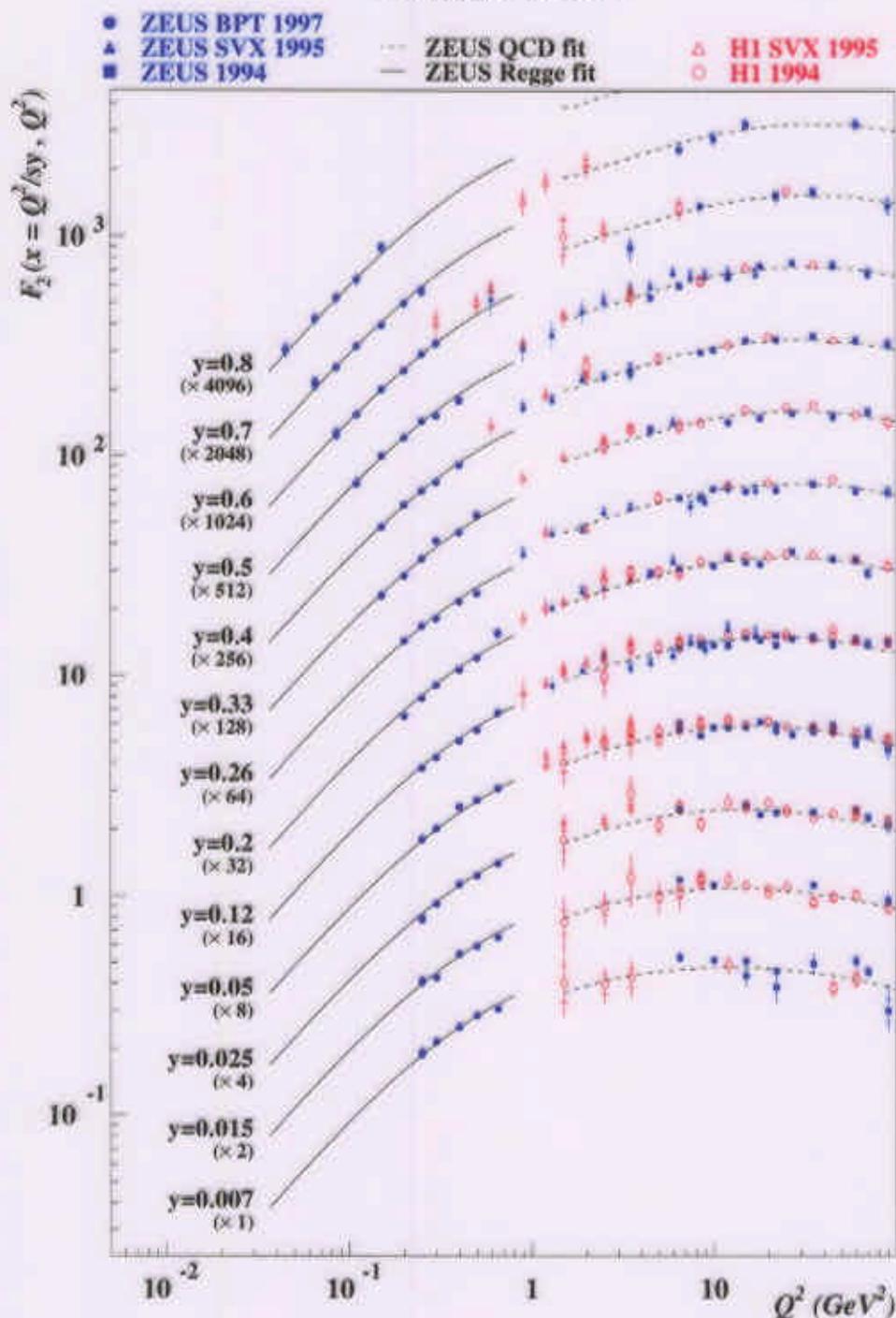
But where the **transition** happens? And how it happens?

Since the theory is silent – see what the data tell us...

# Transition pQCD $\rightarrow$ Regge

ZEUS 1997

(Abs. PA02-1047)



★ Transition to non-perturbative regime,  
from partonic to hadronic degrees of freedom,  
at  $Q^2 \simeq 1 \text{ GeV}^2$  – still a challenge for QCD

## Summary

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- ★  $e^+p$  interactions have been studied at HERA in the extended kinematic range. High level of precision is achieved: in the bulk area NC cross section is measured with **1%** stat. and **3%** syst. error.
- ★ (A1) In photoproduction limit  $\sigma_{\text{tot}}^{\gamma p}$  exhibits mild rise similar to that of  $hh$  scattering. It is well described by the conventional Regge theory with universal ‘soft’ Pomeron. Regge motivated parametrization also describes the data in low  $Q^2 < 0.7 \text{ GeV}^2$  region.
- ★ (A2) In DIS regime NLO QCD is able to describe  $F_2$  data all way down to surprisingly low scale,  $Q^2 \simeq 1.5 \text{ GeV}^2$ . For the first time gluon density has been extracted with high precision using HERA data alone.
- ★ (A3) A **smooth transition** from partonic to hadronic degrees of freedom occurs around  $Q^2 \simeq 1 \text{ GeV}^2$ . The details of the underlying dynamics is still a challenge for the theory.